

Handwritten Notes On Electrostatics





oasic property of matter - charge Without mass can not exist Whereas mass Without charge can exist. charge on a body can only exist in the form of 'e' \*- guantization of charge -B=ne (n=Integer) \* charge is additive in nature \* conservation of charge - charge on an isolated system can neither be created nor distance Total charge of a system = const. be created nor, distroyed. ,00 Minimum possible charge e= 1.6× 10° C (quanta)  $\int_{0}^{2\pi} \frac{1}{1} \left[ \frac{1}{2} \left( \frac{1}{2} + \frac{1}{3} \right) \right] = 1 \text{ particle}$   $\int_{0}^{2\pi} \frac{1}{1} \left[ \frac{1}{2} \left( \frac{1}{2} + \frac{1}{3} \right) \right] = 1 \text{ particle}$ - Exception of quantisation -\* down  $\left(-\frac{e}{3}\right)$   $\left[\left(\frac{2e}{3}\right) + 2\left(-\frac{e}{3}\right)\right] = 2eno$ quark particle dont excist indepently, so quantisation is still correct. - quark Tf quark particle would excist even then quantisation Hould be valid In a conductor charge is distributed at outer surface only while in non-conductor charge is distributed, and the current non-conductor charge is distributed inside the surface. # METHOD OF CHARDIENUT Dvc > (nlass Rod, Dry hair, cat skin, wool. Ex - cloud charging, charging of oil drop in miliken oil drop experiment. 111- Friction -|iil -> conduction charge Will move [High -> LOW] \* Ove charge HILL INCLLION

\* NOTE => \*In conduction total charge of System 18 re-distributed in the ratio of radius

for making hotential same. for making potential same; become same While charges Will differ. |iii| -> Induction - takes place in facing layer only.  $\left[Q_{\text{Induced}} = Q_{\text{Inducing}}\left(1 - \frac{1}{Er}\right)\right] \left(E_r \rightarrow \text{dielectric const. of body}\right)$ \* For metal (Er = 0) - ginduced = Binducing \* For Non-Metal (Er + 0) - ginduced L ginducing. IN Rest method of charging.

older.

NOTE + X Induction affect the distribution of charge not the magnitude of charge. \* There will be attraction blw neutral charge body. \* There will be attraction by body having charge of same nature provided that magnitude of charges Hill be different. X sure test of charging is pepulsion not attraction. HOW Will the force box on 21 will change if an insulated Rod is Kept blw themas shown ! Ans - Force Will + @ Q Q 2 \* It follow newton reaction. # COLUMB'S LAW-K = 9x10 (MKS) F= K9192 K = 1 (cons)  $F \propto \frac{1}{x^2}$ ,  $F \propto \frac{9.192}{x^2}$ \* If the distance in discussion is very large as compared with the dimension of charge, it is treated as point charge.  $|\vec{F}_{21}| = |\vec{F}_{12}| = \frac{1}{4\pi\epsilon_0}$ - permitivity of vaccum or, free space = 8.85 x 10 VOTE \* If the charges are kept in some other medium, permitivity = Gotor Ex = Relative permitivity or, dielectric const. of medium will +  $|F_{net}| = \left(\frac{1}{4\pi \cos t_x}\right) \frac{2122}{Y^2}$ \* coulomb's law follow principle of superposition. Enet = F31 + F32 PERMITIVITY - Permitivity of vaccume (E0) => E0 = 8.85 X - permitity of medium Absolute permitivity of medium (E) unit -> c2/NXm2 That to tentra = E (Ex) air = 1 1 = Er L00 (Ex) metal = 0 Fredium = -Fracume = 4xE0 : /Ex > 2 tracume Fredium = Fret ( Fracume

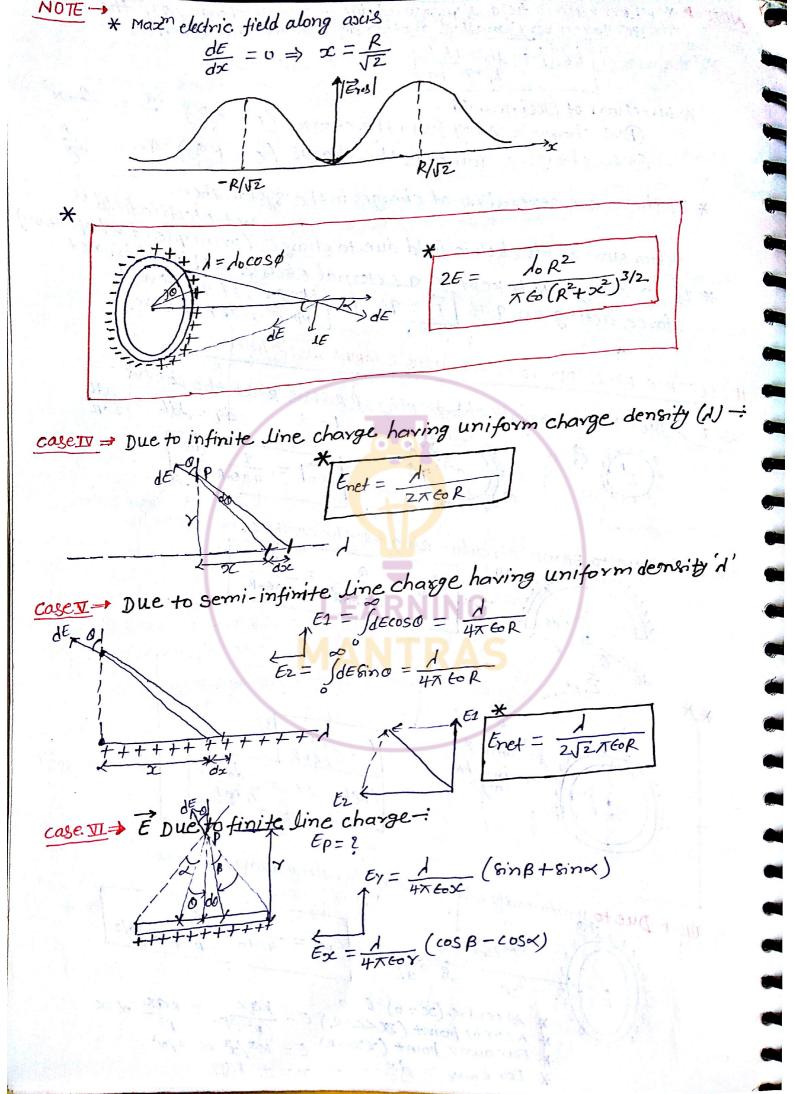
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111- case If Fair = Fmedium Yair = Ex Ymed Yair = JEY . Ymed Frantial medium =  $\frac{1}{4\pi\epsilon_0} \times \frac{9192}{\sqrt{(x-t)+t\sqrt{\epsilon_r}}}$ There should be third charge 93 placed in bIW, So Imp that net force on all the charges become zero, Also find value of 23.  $q_3 = \frac{-212}{(\sqrt{21} + \sqrt{21})^2}$ The identical charge simple pendulum are in equilibrium as shown in fig. 111-> calculate Repulsion b/W ball (criven 0 = small)  $|\tan \alpha = \frac{k q^2}{3 c^2 mg}| \propto = \left(\frac{2 k q^2 L}{mg}\right)$ mumm TLOSO [ii] If charge of ball start to leave at const. Rate & ball are moving towards each other With velocity(v) then Relation blw x \$ V?  $\frac{q^2 \propto x^3}{2 \propto x^{3/2}} \left| \frac{d^2}{dt} \right| \propto \frac{3}{2} \propto \frac{1/2}{2}$ |iii| > If 91 < 92 = 01 = 02 ( due to Action Reaction boir. [iv] → If M1> M2 => 01<02 (M1 is heavy so it will displace less so angle less) tand ~ 1 \*[V] -> If this system is carried in space or, Artificial satellite: [g=0] 90 90 Fc Jano = 0 10=90 Hewant to give charge on ball in due to Repulsion keet \* sepration bIH ball = 1+1=21 String become horizontal or, 180 \* Angle bill string = go+go = 180. then the value of g=! \* Electric force bin both = Fe = K92 \* Tension in each String = Fe = k22 49= \412T [VI] -> If this system is dipped into the lig & angle of string with verticle remain unchanged find dielectric cost of liq. (density = 1.69/cm, density Liq = 0.8 gal) = 12 For More PDFs Visit: LearningMantras.com

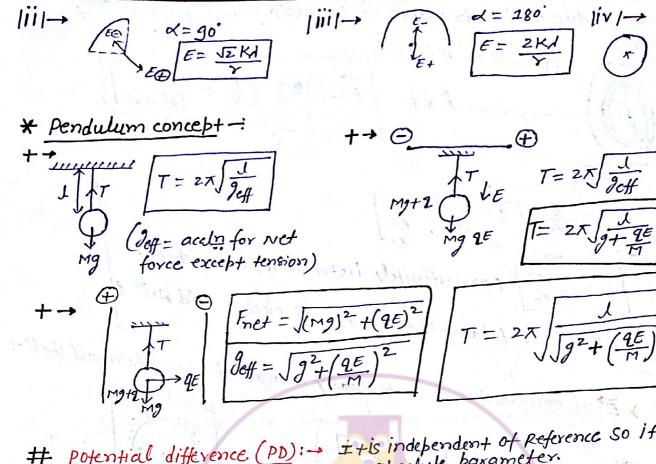
concept # THO identical balleach with density s'are suspended with a common fromt has & changestring of equal length, Both the ball have cqual mass & changes with vertice mass & charge in equibrium the string makes an angle of with vertical, now the whole system is emerged in Liquid with density of If angle or does not change, What is dielectric const of Liquid. Gr = [-6] Three identical small balls each With mass mi are suspended at one point by threads of length I', What charges should be imparted to the ball for each thread to form an angle 30, with the verticalconcebil # 9=1 Trong A Small charge '+2' is distributed uniformally on an insulating Ring of concept Radius' R! If an additional charge '+ g' is kept at centre, find increament in tension of in Ring.  $T = \frac{KQQ}{2\pi R^2}$ # continuous charge distribution :-11 - Linear charge density (1) -> charge per unit length. \* If distribution is uniform / 1 = 1 \* If distribution is non uniform => 1= de or, de de = 1dx 111-> Surface charge density (6) -> charge per unit area. \* If distribution is uniform - 16 = 2 \* If the distribution is non-uniform - 1 = dq dq = 6dA 1111 - volume charge density (s) - charge per unit volume. \* If 's' is uniform - | s= \frac{g}{v} |

\* If 's' is non-uniform -> | s= \frac{da}{dv} \] or, \[ dg = sdv \] # ELECTRIC FIELD INTENSITY (E) => It represent strength of effect of change affixen \* Electric field due to point charge: - $|\overrightarrow{F_p}| = \left(\frac{1}{4\pi\epsilon_0}\right) \frac{(+q)(1c)}{\gamma^2} = |\overrightarrow{E}|$   $|\overrightarrow{E}| = \left(\frac{1}{4\pi\epsilon_0}\right) \frac{q}{\gamma^2} \frac{N}{\epsilon} \text{ or, } \frac{V}{M}$ 

NOTE + & When Electric field is measured due to a point charge (8), the test. Charge taken very small & another defination can be given as The charge = Away from the charge  $(E = \frac{kg}{r^2})$ \* Direction of Electric field: -Ove charge = Towards the charge (E = KB) -9-\* If there are several no of charges in the System then, net Electric field is vector sum of all Electric field due to charges (principle of superposition) \* If a charge '2' is kept in a External Electric field E, then net oph &, If 2 - Eve) force acting on q is | F = qE # ELECTRIC FIELD DUE TO CONTINUOUS CHARGE DISTRIBUTION: case I ⇒ Due to uniformaly charge Ring of Radius 'R' at the centre:-, dq = dd = 2xR  $|\overrightarrow{E_0}| = \frac{1}{4\pi\epsilon_0 R} \frac{dQ}{R^2}$ case II -> Due to semi-circular Ring at the centre:-1 = Locosp Cose II - Due to uniformaly charged circular Ring along Its cixis -: Epeg = 4xE0 \* Afcentre (oc=0) E=0 \* Near by point (DLCLCR)  $E = \frac{kgx}{(R^2)^{3/2}} = \frac{kgx}{R^3} dx$ \* Far away point (x>>>R)  $E = \frac{kgx}{(R^2)^{3/2}} = \frac{kgx}{R^3}$ \* For Eman =  $dE = -\frac{kgx}{R^3}$  $\star$  FOY  $E_{\text{max}} = dE = 0 \Rightarrow x = \pm RN2$ For More PDFs Visit: LearningMantras.com



Case VII > E due to circular Disc uniformally charge With (6) -: > dq= 6dA= 6 (2xx)dx Ecentre = 0  $\int dE = \frac{6x}{2E} \left[ \frac{1}{x} - \frac{1}{\sqrt{R^2 + x^2}} \right]$  $E = \frac{6}{260} \left[ 1 - \frac{1}{\sqrt{1 + \frac{R^2}{2}}} \right]$  $\vec{E} = \frac{6}{260}$  For infinitely distributed plane sheet. \* After folding the Rings, net electric field Will + Case VIII -> E at centre due to uniformally charged hemi-sphericall shell-RSino EX - Find E' due to part Wich is cut at an angle &. 6 (const) -> Hollowsphe  $E_1 = 60 \sin(\alpha/2)$ R > EoSin x/2 Ez=Egos(2/2) \* Electric field due to uniformally charge wire -\* Ecentre for uniformally charged arc -:  $E = \frac{2 \times 1}{2} \sin\left(\frac{x}{2}\right)$ 



Type I + If pot is function of 'r' then find Electric field:

If  $V = f(r) \Rightarrow E = ?$ 

$$\begin{bmatrix}
\varepsilon = -\frac{dv}{dy} \mid \vec{E} = -\frac{dv}{dy} \vec{7}
\end{bmatrix}$$

Type II 
$$\rightarrow$$
 If  $V = f(x,y,z) \Rightarrow E = ?$ 

$$\overrightarrow{E} = - \nabla V$$

$$\overrightarrow{\nabla} \rightarrow \text{Del operator (orradient)}$$

$$\overrightarrow{\nabla} = \frac{id}{\partial x} + \frac{id}{\partial y} + \frac{Kd}{\partial z}$$

$$\vec{E} = -\left[i\frac{\partial V}{\partial DC} + i\frac{\partial V}{\partial Y} + K\frac{\partial V}{\partial Z}\right]$$

Type 
$$\mathbb{Z}$$
 > If  $V-Y$  coraph is given at  $E=$ ?
$$E=-\frac{dV}{dY} \left[E=-\text{Slope}\right]$$

TYPEX - If E=f(x,y,z) =>PD=? Type  $II \rightarrow If E = f(x) = PD = 2$ PD = JE. dr =- S(Exi +Ey]+EzK)·(dxi+dyj = - SExdx - SEydy - SEzdz Type I + If Ex Coraph is given PD = 1- SE. dx1 = A rear under the curve. We know that electric field is invisible to generale the # Electric line of forces or, Electric field lines: picture of Electric field, we draw Electric line of forces. 111-> Tangent drawn at a point on the line of forces gives properties of ELF the direction of field at that boint. 111- The electric field lines can never intersect as these will be two direction of Electric field at that boint. > PNOT POSSIBLE |iii| - conservative Electric field lines can never form close loop. IVI The density of Electric field lines in a certain region gives us a qualitative idea about the strenth of field in that Region. B [EA] > [EB] |V|→ They are always perpendicular to equipotential surface. |vil- If the positive charge at Rest is free to move then it may or, may not follow the line of forces. |vii| -> Electric Lines are differentiable at all point they can't have Sharp turnings. « | VIII |→ Electric field lines can be discontinuous. Isolated Ove charge orginates at Isolated DVC ∞\$ End at Ove charge. charge orginates at charge & end at infinity.

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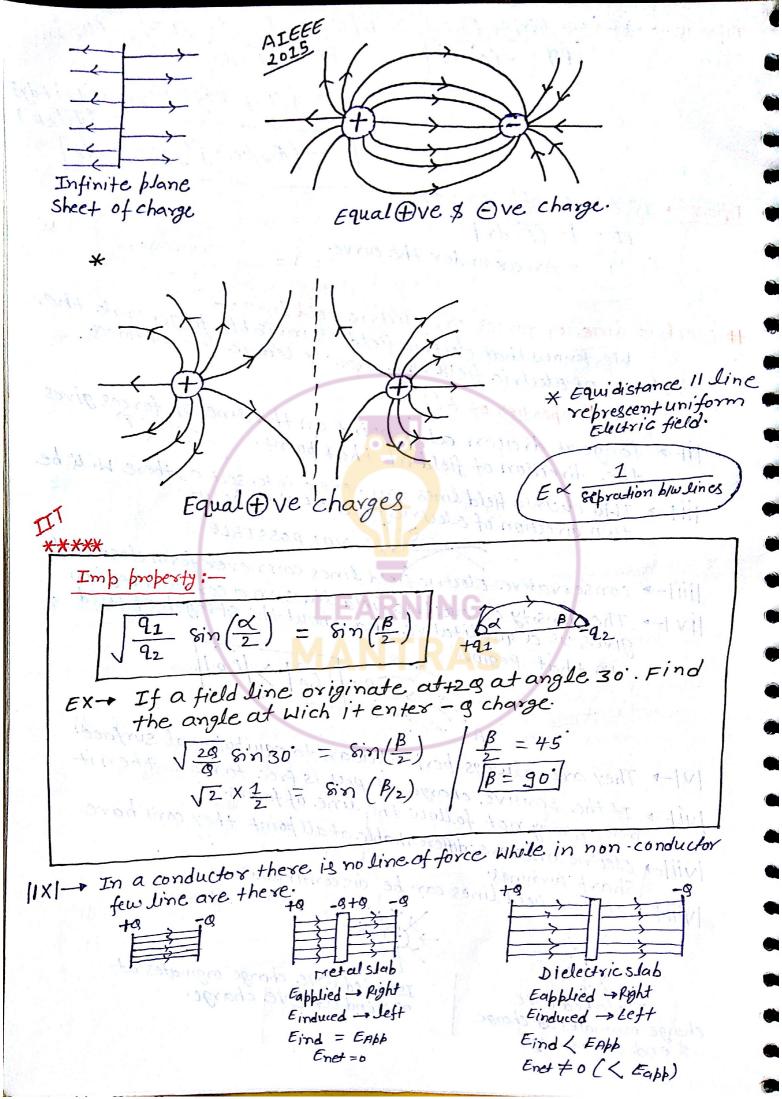
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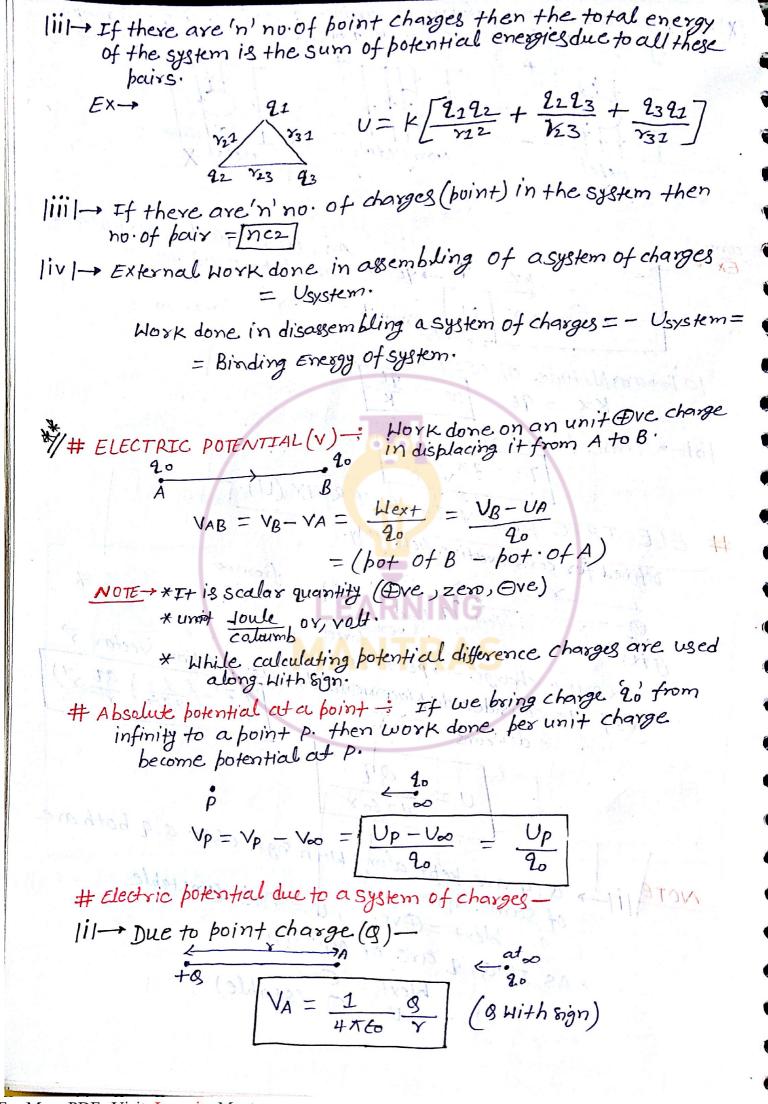
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(X) - Electric at ELF are always to conducting surface this can make any angle with non-conducting surface. metal An Electric field is @ Switched concept EXon at t=0 of shown. 2 → 9E smooth 1al-amplitude of oscillation Kx = 9E  $\int C = \frac{9E}{R}$ 161- Time period of oscillation.  $T = 2\pi \int \frac{m}{\nu}$ # ELECTRIC POTENTIAL ENERUTY (U):-Defined for conservative field only. Li coulmbic force (FXX) \* If He consider displacement dis at position vector ? (F=(1/4760) 32.7) dwcons = F. Ir U = 32 4×608 NOTE | i | 3, 9 are kept along with sign of If 9, 9 both are of same sign Wext = Fre , U = Fre cunstable \* As If B, 2 are of opp. Sign Wext = Eve V = (Stable)

3



|iii | Due to system of several point charges

$$21 - \frac{y_2}{y_2} = \frac{1}{4\pi\epsilon_0} \frac{41}{y_2} + \frac{21}{y_2} + \frac{23}{y_2}$$

| Due to continuous charge distribution |

| Iii | Due to circular Rig (+3) |

| |a| \to At centre | V = \frac{k3}{R} | Wheather this dist. is uniform or, non-uniform |

| |b| \to At a point on axis |

| V = \frac{k3}{R} | V = \frac{k4}{2} |

| V = \frac{k4}{2} | V = \frac{k4}{2} |

| V = \frac{k4}{2} | V = \frac{k4}{2} |

| V = \frac{k4}{2} | V = \frac{k4}{2} |

| |a| \to At centre | V = \frac{6R}{2\epsilon} |

| |a| \to At centre | V = \frac{6R}{2\epsilon} |

| |a| \to At centre | V = \frac{6R}{2\epsilon} |

| |a| \to At centre | V = \frac{6R}{2\epsilon} |

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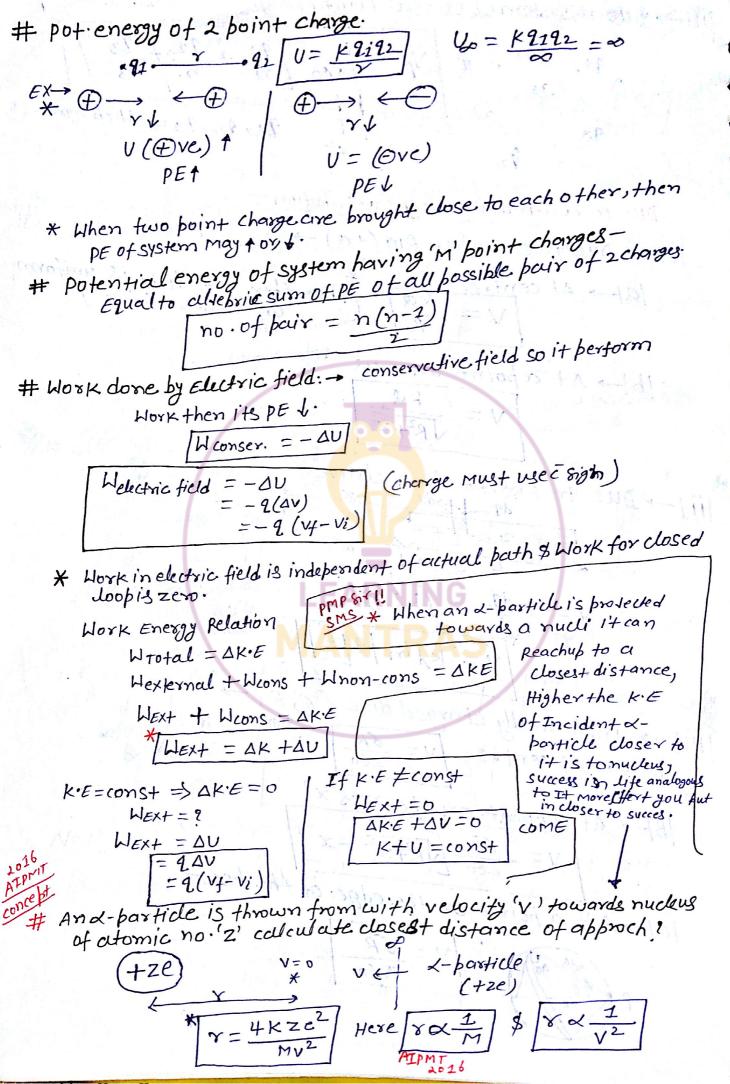
| |a| \to At centre | V = \frac{6R}{2\epsilon} |

| |a| \to At centre | V = \frac{6R}{2\epsilon} |

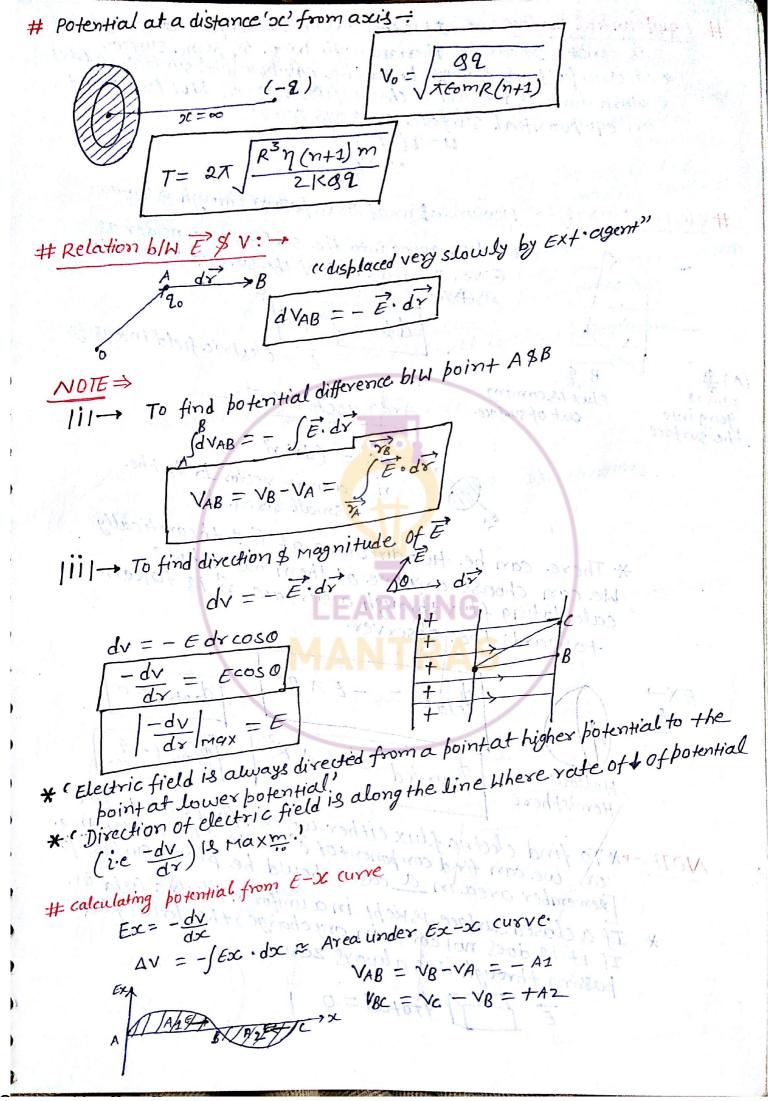
| |a| \to At centre | V = \frac{6R}{2\epsilon} |

| |a| \to At centre | V = \frac{6R}{2\epsilon} |

| |a| \to



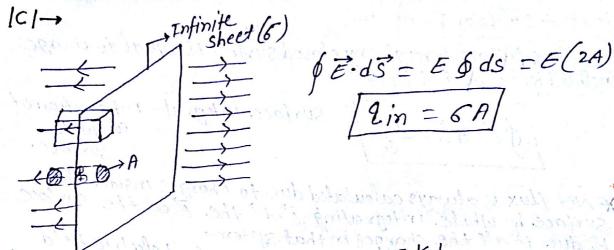
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# Equipotential surface: > It is the surface Where pot at every point is const, It can be spherical, cylindrical or, plane surface. \* Electric field is always Ix to the equipotential surface. (ELdv) \* Work done is moving a charge ( Tve / Ove) blw two point on equipotential surface is always zero. W=2(4-Vi) # Electric Flux (\$) -> Measure of no of lines possing through a surface. \* Flux going into the surface is consider as Ove & coming out of the surface is consider as Dvc.  $d\phi = \vec{\epsilon} \cdot d\vec{s}$ E'= Electric field intensity. (A) Z Flux 1scoming Area vector (ds) -FLUXIS out of surface. going into the surface ds' = (ds) n n = a unit vector Ir to the small area ds \* There can be two directions of n & theoritically We can choose any one of them but While calculating flux through a surface n is taken towards the observer. Oplat = -EXR2 EX Grotal =0 | Pourved = ETR2 \$ bowl = 2 Hollow Hemisphere NOTE -\* To find electric flux either we can find area Ix to E or, we can find component of E Ir to the given Area. [Remember area in a case should be plane surface.] \* If a closed surface is kept in a uniform Electric field or, If it is does not contain any charge, the total flux passing through it is always zero. E fortal = 0

# The statement of Chauss law:-" Net flux passing through any closed surface is equal to charge inclosed by it divided by to" Surface integral = Intigration of  $|\oint \vec{E} \cdot d\vec{s} = \frac{q_{in}}{\epsilon_0}|$ surface. IAT \*\* Net flux is always calculated due to charges inside the Surface Surface by While integrating E.ds the Eat the Surface is due to all the Charges in that system. NOTE -161- \* With the help of Chauss law, We can find electric field due to the some charged system but they are very limited.

\* Angle blu E' & ds' at every boint on chaussian \* magnitude of Z should be same through out the surface. \* Inct doesn't depetiend on size of body. # Electric field due to some symmatric charge distribution. \$ E.ds = 2in ∮ ∈ ds cos o = 4in 6 \* magnitude Eat every point on surface must be some. \* Angle blw E\$ ds should same.  $E = \left(\frac{1}{4\pi\epsilon_0}\right)\frac{2}{\gamma^2}$  $\oint \vec{E} \cdot d\vec{s} = E \oint ds$  $= E \left[ 2 \pi Y \right]$ 



\* Non conducting wire 
$$\rightarrow E = \frac{6}{260} \propto x^{\circ}$$

# All conducting [solid/Hollow] & Hollow Non conducting Sphere.

~ + distance of obserber boint from the centre of sphere.

NOTE 
$$\rightarrow$$
 $EX \rightarrow 6 = \frac{9}{4 \times R^2}$ 

$$9 = 6 (4 \times R^2)$$

\* Esurface = 
$$\frac{kg}{R^2} = \frac{1}{4\pi\epsilon_0} \cdot 6 \frac{4\pi R^2}{R^2} = \frac{6}{\epsilon_0}$$

\* Vsurface = 
$$\frac{k9}{R} = \frac{1}{4\pi60} \cdot \frac{64\pi R^2}{R} = \frac{6R}{60}$$

\* Esurface =  $\frac{K^{-}}{F_0}$   $\angle R^{\circ}$  (If 6 = const) \* Esurface =  $\frac{E_0}{R} \propto \frac{1}{R} \left( If \ V = const \right)$ # solid Non-conductorsphere:-Position V K3/82 K3/8 KB/R2 KB/R r=R  $\frac{Kg(3R^2-r^2)}{2R^3}$ Kg r 3 (KB) 8=0 # Electric dipole: - The point of same magnitude & opposite nature at Small Sepration. -2 +2
21 - Length vector

direction (-2 to +2) III -> Dipole momen+ (P) -:  $\begin{array}{c|c}
P = 2& & \\
\hline
P = 2& &$ P= Charge X length of Dipole 1 Debye(D) = 303 x 10 30 cxm III - Electric field due to Dipole -4 +4 case - a - Axial/Longitudnal/tanA/Endon position  $\begin{bmatrix}
E_{\text{axial}} = \frac{2KP_{Y}}{(Y^{2}-J^{2})^{2}} = \frac{2KP}{Y^{3}} \left( \text{Along P direction} \right) \\
-\frac{e^{-2KP_{Y}}}{(Y^{2}-J^{2})^{2}} = \frac{2KP}{Y^{3}} \left( \text{Along P direction} \right)$ case-|b| -> Equitorial/Transverse / Broad Side/Tan & ->  $\frac{\int_{E-V}^{E-V} \frac{\int_{E-V}^{E-V} \frac{O-V}^{E-V} \frac{\int_{E-V}^{E-V} \frac{\int_{E-V}^{E-V} \frac{\int_{E-V}^{E-V} \frac{\int_{E-V}^{E-V} \frac{O-V}^{E-V} \frac$ 

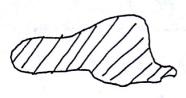
case-IEI 
$$\rightarrow$$
 (nemeral boint (50)  $\rightarrow$ 
 $E = \frac{kp}{2}\sqrt{1+3\cos^2\theta}$ 
 $A =$ 

NOTE - In a Stable equilibrium dipale 18 given Small cingular disp. & it perform angular SHM With Time period I = M.O.I  $T = 2\pi \sqrt{\frac{I}{PE}}$ # BICT DROP == n SMALL DROPS 111→ RBig = n4/3 rsmall | IVI → EBig = n1/3 Esmall |111 → Big = n 2 small | NI → CBig = n2/3 Csmall |1111 |→ 6 Big = n2/3 6 small | |vi| → VBig = n2/3 Vsmall. # \* path of charge particle in uniform & electric field (g=nfglisible) -Deviation. # conductor of Irregular Shape: - (R - Radius of curvature)  $* Q \times R * 6 \times \frac{1}{R} * E = \frac{6}{E0} \times \frac{1}{R} * Variety Surface]$ A Metal Body: -\* R => Rc > RB > RA \* 9 = 9c > RB > RA > 20 = 0 \*6 \$ 6A > 6B > 6c and by single \* \*E > EA > EB > Ec > ED = 0 0 KONO 40  $* \lor \rightarrow \lor A = \lor B = \lor c = \lor D$ Application of solid Angle (n) # Solid Angle (SL) Flux through per unit solid Arryle = 4 Protal = 2 , 47 · plone Angle (0), Radion  $\cos \alpha = \frac{x}{\sqrt{R^2 + x^2}}, N = 2\pi \left(1 - \frac{x}{\sqrt{R^2 + x^2}}\right)$ measured in 2-D · solid angle (1) stradion A= Litusiane Measuredin 3-D. 4+hrough disc = 1/2 [2 - x ] \* \* salid Angle - Avea of surface X closed extinder ARIO3 Gourred = . P EX-\* Angle = are Radius A flat = 2x (1-1030) = 2x (1-13) Complete plane \* complete salid 2

Angle 2TR = 2T Angle = TR Angle =  $\frac{\pi R^2}{R^2} = 4\pi$ 1 curved = 47 - 21 flat = 47 [2-14 \3/2] # Relation blu plema Angle & solid Ample = 2/3/ Pourved = 4 x 2 \frac{9}{4\tau + c} Tesino 1 = 2x (1-cosa)

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## CONDUCTOR [METAL]



It has infinite no offree e- wich can move inside the valume or, on the val. or, on the surface if External force is applied, They can not leave conductor.

## concept of Electrostatic Equilibrium

Suppose by some mechanism an excess charge +g is given to a conductor.

- To gain minim energy state, all the charge come on surface
- When all the charge come in state of Rest, this equilibrium - Net force on each charge along the surface become zero.

## In State of Electrostatic equilibrium

- \* Electrica field along the surface is zero as Fretsurfce = 0
- \* Electric potential of Whole body becomes some.

  \* Electric field inside the body of conductor become zero.
- \* It can be assumed as lowest energy state of conductor.
- \* Electric field Lines Start Ir from the surface of conductor at every point.

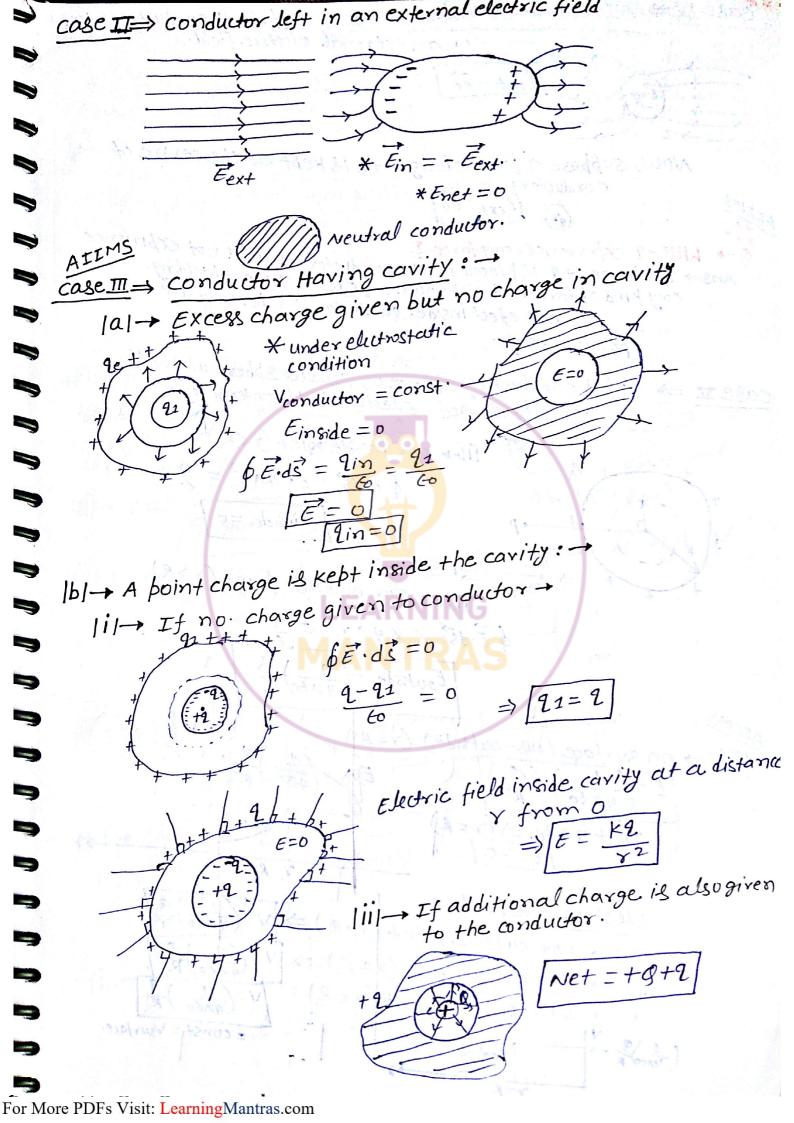


## Case I ⇒ Electric field near the surface of conductor.

\* charge distribution may not be uniform. \* Surface charge density at different points will be different.

$$\oint \vec{E} \cdot d\vec{S} = E \cdot dS = \frac{q_{in}}{G_0}$$

$$EdS = 6\frac{dS}{G}$$



\* case IV => Electrostatic shielding => suppose a conductor is kept in an external clitric field. Eout = Eo Now, suppose a point charge +2 is kept at the centre of Conductor Fext = Eo Ans - If charge +2 13 placed inside conductors It will not expirience 3- Will +2 experience cony force ? any kind offorce, it is known as Electrostatic shielding. Net effect inside conductor Will be only due to point charge. case x => solid conducting sphere or, Hollow spherical shell (uniformally charged) Electric field Intensity: 111- For inside point (8<R) Ø €.ds = €. 4πx2 = 2 | Einside = 0 1111→ For out side point (Y>R) \$ E.ds EX4xx2 = 3 Eoutside = (1/4/10) 2/ |iii| - on surface (sust outside) (r=R) E=(1/4×60)(9/R2) Just inside =) (Y=R)Electric potential 1al→ For outside point (Y>R) ⇒ V=(1/4πεο) 9 161- For on surface (x=R) => V=(1/4xto) & ICI- FOY Inside point (Y(R) =) V=(1) = const = Vsurface.

# Self potential energy of conducting shell=> Hext =  $\frac{kg}{2R} = \frac{g^2}{8\pi\epsilon_0 R} = U_{\text{self}}$ Usystem= ? Usystem = Uself + Unteraction Uself = 912 + 922 8xcor + 0xco/2R) Unferaction = 1 (3192) #uniformally charged Non-conducting solid sphere:-Electric field (E(1))  $E = \frac{1}{4\pi\epsilon_0} \cdot \frac{g_8}{\rho^3} = 111 \rightarrow VLR$ β E. ds' = E.4π γ 2 gin = CX 4xx3  $|\dot{\mathbf{b}}| \rightarrow \mathbf{Y} = R \left[ \frac{1}{4\pi 60} \right] \frac{9}{R^2}$ |111)→ For out side points Whole charge of sphere can be assumed at centre. (x>R)  $E \cdot 4\pi \gamma^2 = \frac{9}{60} \cdot \left| E = \left(\frac{1}{4\pi 60}\right) \frac{9}{\gamma^2} \right|$  $\left(\frac{1}{4\pi to}\right)\frac{g}{p^2}$ 161- Electric potential v(r) -111-> >> R (For outside point) V(x) - (1/4×60) 2 liil→ Y=R (at surface) Vsurface = (1/4×co) R

| IIII | 
$$\rightarrow r \langle R (For Inside boint) \rangle$$

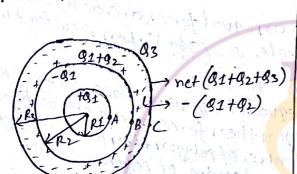
$$-\frac{dv}{dr} = E$$

$$-\frac{dv$$

- It is clear that at sharp edges surface charge density become too high.

\* If Electric field Just outside the conductor become greater than 3x706 V/m, break down of air malecule near conductor start Wich is commonly known as corona Discharge (Ionisation of air malecules)

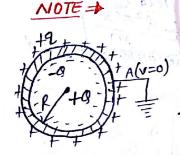
# Potential calculating in conducting shells



$$V_{A} = \frac{1}{4\pi\epsilon_{0}} \left( \frac{g_{1}}{R^{1}} + \frac{g_{2}}{R^{2}} + \frac{g_{3}}{R_{3}} \right)$$

$$V_{B} = \frac{1}{4\pi\epsilon_{0}} \left( \frac{g_{1}}{R^{2}} + \frac{g_{2}}{R^{2}} + \frac{g_{3}}{R_{3}} \right)$$

$$V_{C} = \frac{1}{4\pi\epsilon_{0}} \left( \frac{g_{1} + g_{2} + g_{3}}{R_{3}} \right)$$



\* By convention potential of earth is assumed to be zero.

+ A(v=0) \* Two points Hich are earthed can be connected by

conducting wise. (v = const =0) \* The point or, body connected to earth can recive or, Send desired charge accordingly charge conservation law Hill not Hold.

$$V_A = \frac{kg}{R} + \frac{k(4-g)}{R} = 0 \implies 91 = 0$$



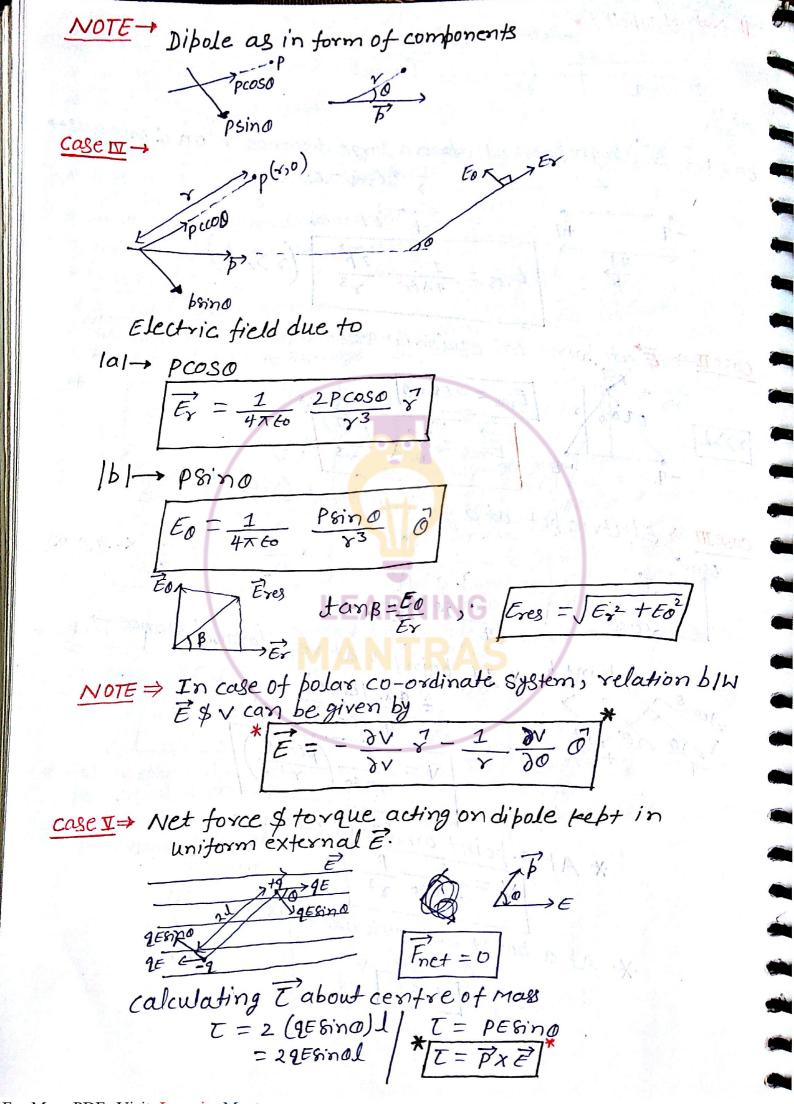
+ Irduced charge on Sphere =?

Vsphere = Veentre  $= \frac{kQ}{x} - \frac{kQ1}{R} = 0$ 12 = 9R

point from question	
CIATI	coulumb)
AIIMS* F>Ab·C> coulumb> Start Faraday > Ab·C > coulumb> St	fa1.200041110
$\frac{1}{\sqrt{1-\frac{v^2}{2}}} m_0 \Rightarrow \text{rest mass}.$	
The Rest Mass of photon zero. (Ave)ly or (Eve)ly) Its volume (size) always	
* Rest mass of photon zero.  * When a body is charge (either (Ove)ly or (Ove)ly) Its volume (size) always  * & density always	
* In all type of RKM total charge of system remain const	
Total no. of ions in a universe is const -wing.	
* 1 \ EY \le \infty	onaucon of one
	direction.
* When dielectric medium place	blu charge then electric force aren.
* When metal is placed bluche	blu charge then electric force direction.  arge then electric force become zero.
# O FR	* If an equal forces are acting at an
0° 2F	argue 0 - (SA)
25 .5	be zeso
13F	* If equal charges are placed
90° JZF	lenforce of
120° F	at centre of ragon 15 zero.
180	* Acharge particle (Sim) tield then K.E
San Care Property	after time $f \Rightarrow k \cdot E = \frac{1}{2} \frac{g^2 E^2 L^2}{m}$
* When temps of dielectric medium of then molecule of medium become disturbed so net induced electric field & thats why ex also to	
temb 1 = Eind / 60	$=\epsilon_0 = \epsilon_{ind}$
Jemp 1 => Eind V ( to Er ) T	
TEV - End t	The state of the s
[ Co civa)	of the centre to surface
* Hollow sphere it certice to sur	face bot. same Dil El dell centre to surface.  sont a conduction current but caused by
* Displacent current is some is	s not a conduction current but caused by

\* Displacent current is some is not a conduction current our caused by
time town Varying electric field.

# Natural Dipale: + - cquitorial axis. ----B=29L case I ⇒ E along a point at office a large distance 'r' on dipale oxis :>  $\frac{1}{\frac{2J}{b'}} \stackrel{\neq}{\downarrow} \frac{\overline{zp} E_1}{E_{res} = \frac{1}{4\pi E_0} \frac{2\overline{b'}}{\gamma^3} \left(\gamma > J\right)}$ Case II > E at point on equitorial Axis- $E_{reg} = 2E\sin\theta$   $= \frac{1}{4\pi\epsilon_0} = \frac{1}{4\pi\epsilon_0} = \frac{1}{73}$ case III > Electric pot. at a general point (x,0)-ESINO point & It point p at very large distance.  $V = \frac{1}{4\pi\epsilon_0} \left( \frac{\rho \cos \theta}{\gamma^2} \right)$ \* At a point on dipale axis:- $V = \frac{1}{4\pi\epsilon_0} \frac{P}{\gamma^2}$ \* At a point on equitorial ascist  $0 = 90 \times 10^{-90}$ 



case II + oscillation of Dipole in uniform E'-m - m (stable eqm) Linear oscillation  $\omega = \sqrt{\frac{\kappa}{m}}$ · ois very small = -PE8in08:no = 0 \* Time period =  $T = 2\pi \sqrt{\frac{I}{PE}}$ \* I = m12+m12 = 2m12 case II → PE of a dipole in uniform External field: → -9 Stable +2

[PE=U=Min] 5 PE = U = Max Mork done on dibale in rotating it form stable bosition is Stored in the form of PE of dipale? suppose from general position 0=0; dipole is rotated very slowely through an angle 'do' \*  $U = - \overrightarrow{p} \cdot \overrightarrow{E}$ -If dipole is rotated from 0 = 01 to 0 = 02 work done by  $W_{ext} = PE(coso_2 - coso_2)$ extagent = Wext = Uf - Ui 3 case VIII -> Electric dipole in non-uniform electric field ->  $9E = \frac{E}{-9} + \frac{(E+dE)^{E}}{4}$ Net force = F = 9(dE)  $= 9(d8)(\frac{dE}{dR})$ =  $9(dx)(\frac{dE}{dx})$ F= P(dE)

# For General System of Dipoles interaction energy (U) :>  $\begin{array}{c|c} & & & \\ \hline & & \\ \hline & & \\ \hline & & \\ \hline P1 & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \hline & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \end{array} \begin{array}{c|c} & & & \\ \hline \end{array} \begin{array}{c|c} & & & \\ \end{array} \begin{array}{c|c} & & \\$ I PICOSO1 Electric field due to Pi at point A  $\overrightarrow{E_{P1}} = \frac{1}{4\pi\epsilon_0} \frac{2P_1\cos\theta_1}{\gamma^3} \overrightarrow{i} - \frac{1}{4\pi\epsilon_0} \frac{P_1\sin\theta_1}{\gamma^3} \overrightarrow{j}$  $\vec{P_2} = \frac{P_2 \cos o_2}{V} \vec{i} + P_2 \sin o_2 \vec{j}$   $\vec{P_2} = \frac{P_2 \cos o_2}{V} \vec{i} + P_2 \sin o_2 \vec{j}$ If the shell is released from the bosition Shown, then Find-→+8 → P bosition Sno.

M → E |a| → Initial Angular Acedm -Initial torque  $\overrightarrow{T}_{i} = \overrightarrow{p} \times \overrightarrow{E} = pE = I \times$ Shell I = = 3 MR2 161- Angular Speed when it Rotated through

 $\mathcal{L} = \frac{3PE}{2MR^2} = \frac{3EBR}{2MR^2} = \frac{3EBR}{2MR}$